

MTHSC 3190 SECTION 2.8

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EXAMPLE

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Compute $3!$, $4!$ and $5!$.

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$$\prod_{i=1}^n a_i = a_1 \cdot a_2 \cdot \cdots \cdot a_n.$$

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Compute $\frac{103!}{100!} =$