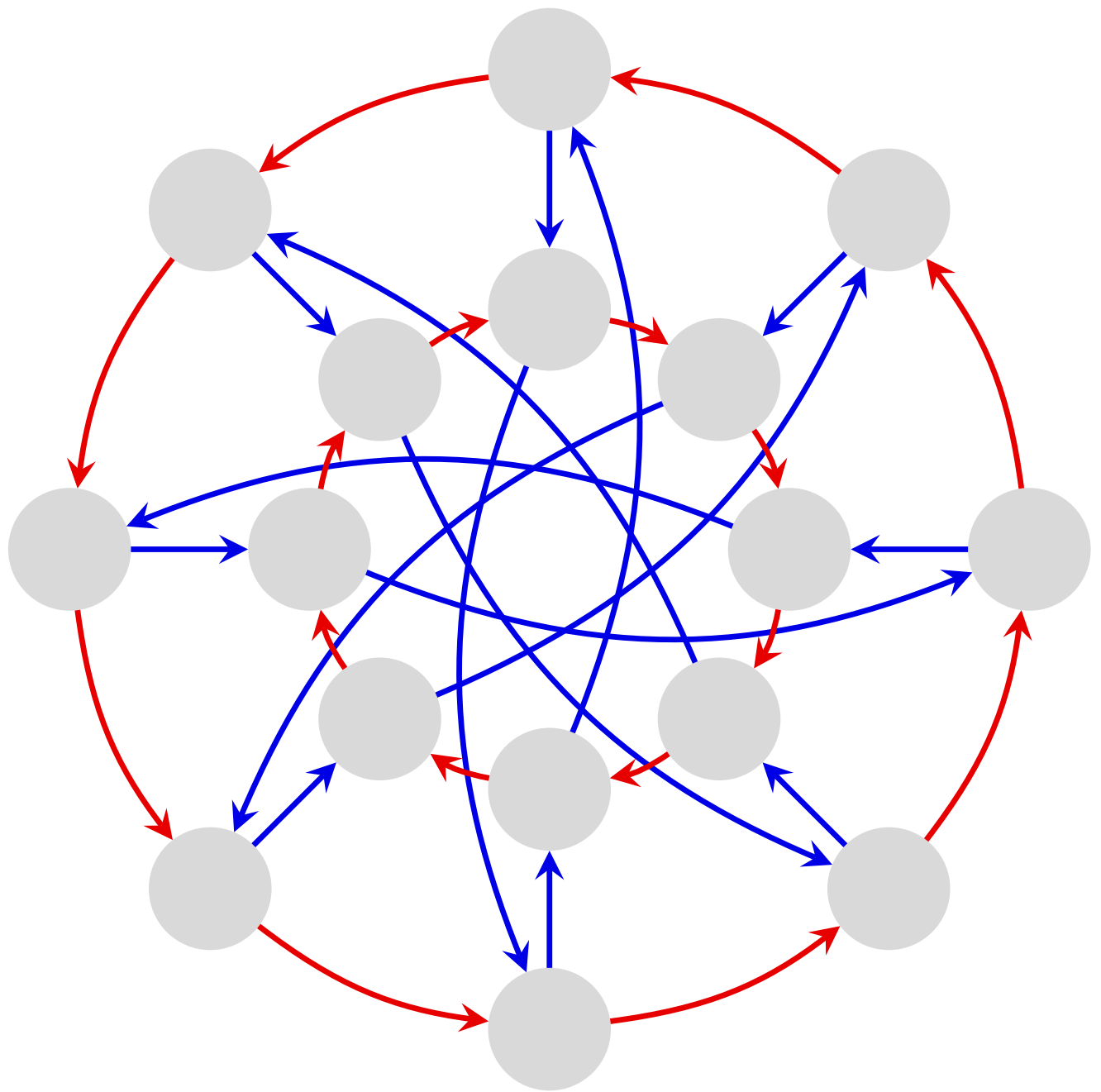


**Supplemental material for Visual Algebra (Math 4120),
HW 2**

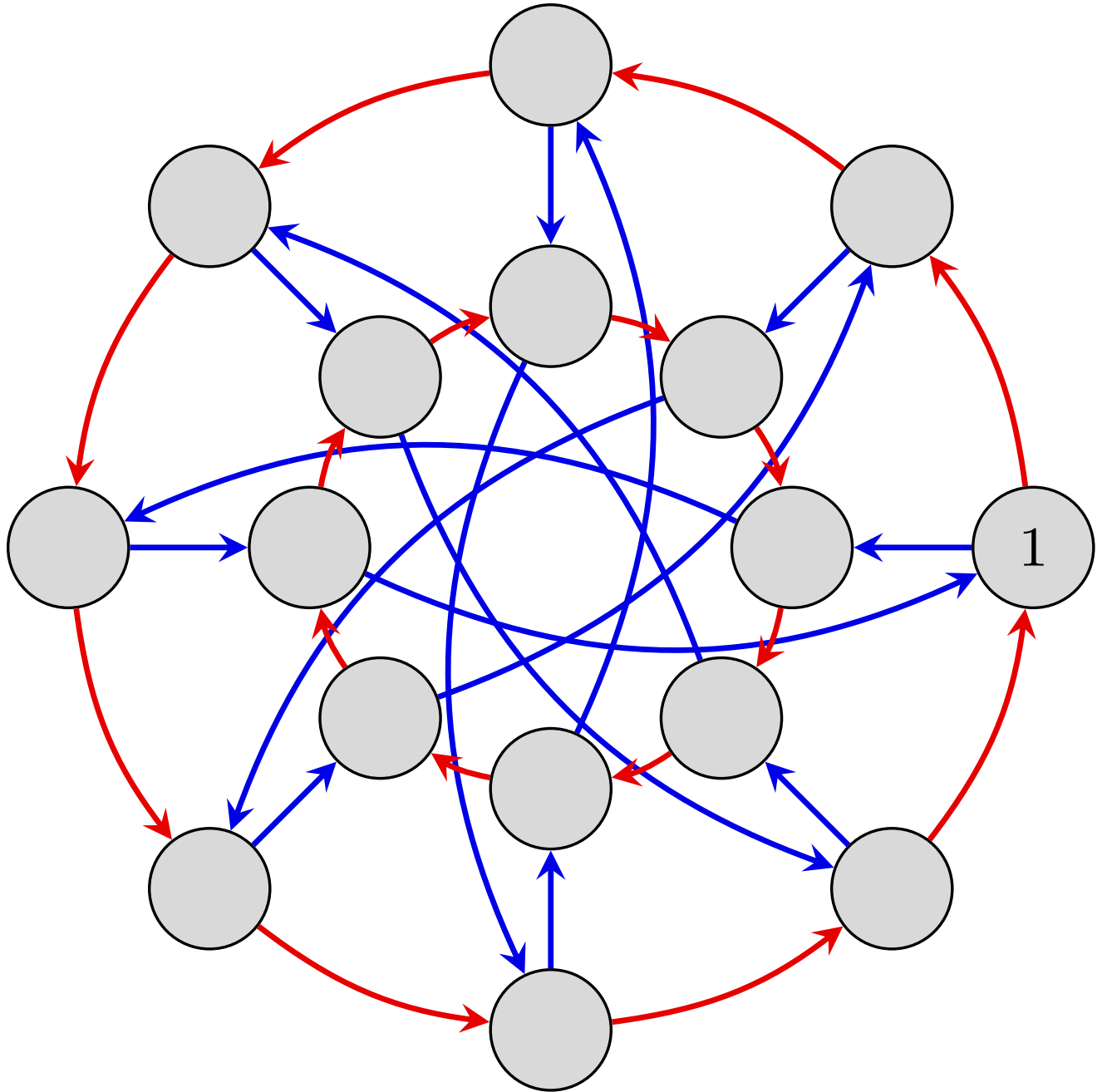
#3(a): Cayley graph for the generalized quaternion group

$$Q_{16} = \left\langle \frac{\sqrt{2}}{2} + \frac{\sqrt{2}}{2}i, j \right\rangle,$$

where $\frac{\sqrt{2}}{2} + \frac{\sqrt{2}}{2}i = e^{2\pi i/8} = \zeta_8$ is an 8th root of unity.



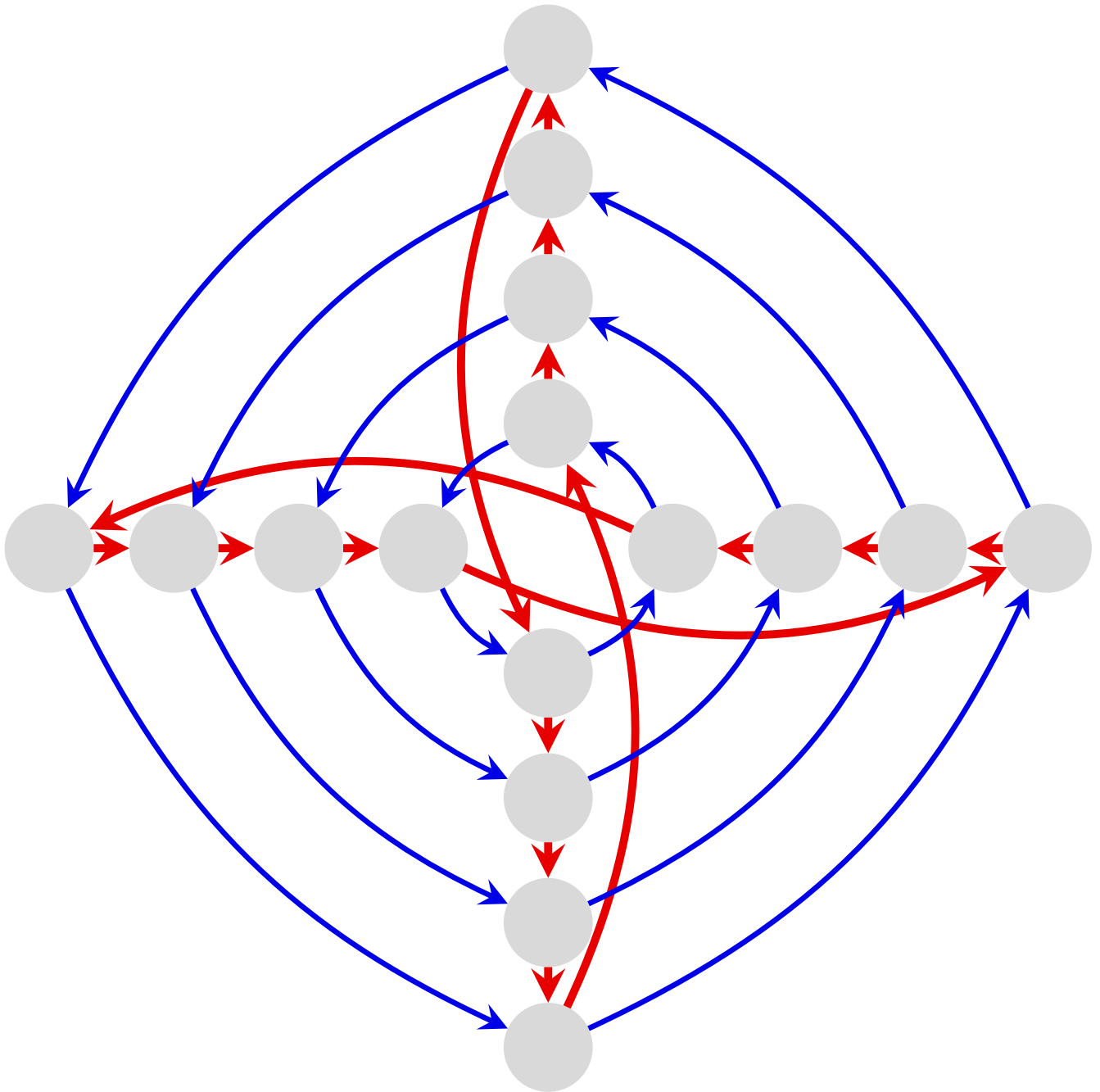
#3(a): Cayley graph for the generalized quaternion group $Q_{16} = \langle \zeta_8, j \rangle$, where $\zeta_8 = e^{2\pi i/8}$ is an 8th root of unity.



#3(a): Another way to lay out the Cayley graph for the generalized quaternion group

$$Q_{16} = \left\langle \frac{\sqrt{2}}{2} + \frac{\sqrt{2}}{2}i, j \right\rangle,$$

where $\frac{\sqrt{2}}{2} + \frac{\sqrt{2}}{2}i = e^{2\pi i/8} = \zeta_8$ is an 8th root of unity.



#3(a): Another way to lay out the Cayley graph for the generalized quaternion group $Q_{16} = \langle \zeta_8, j \rangle$, where $\zeta_8 = e^{2\pi i/8}$ is an 8th root of unity.

